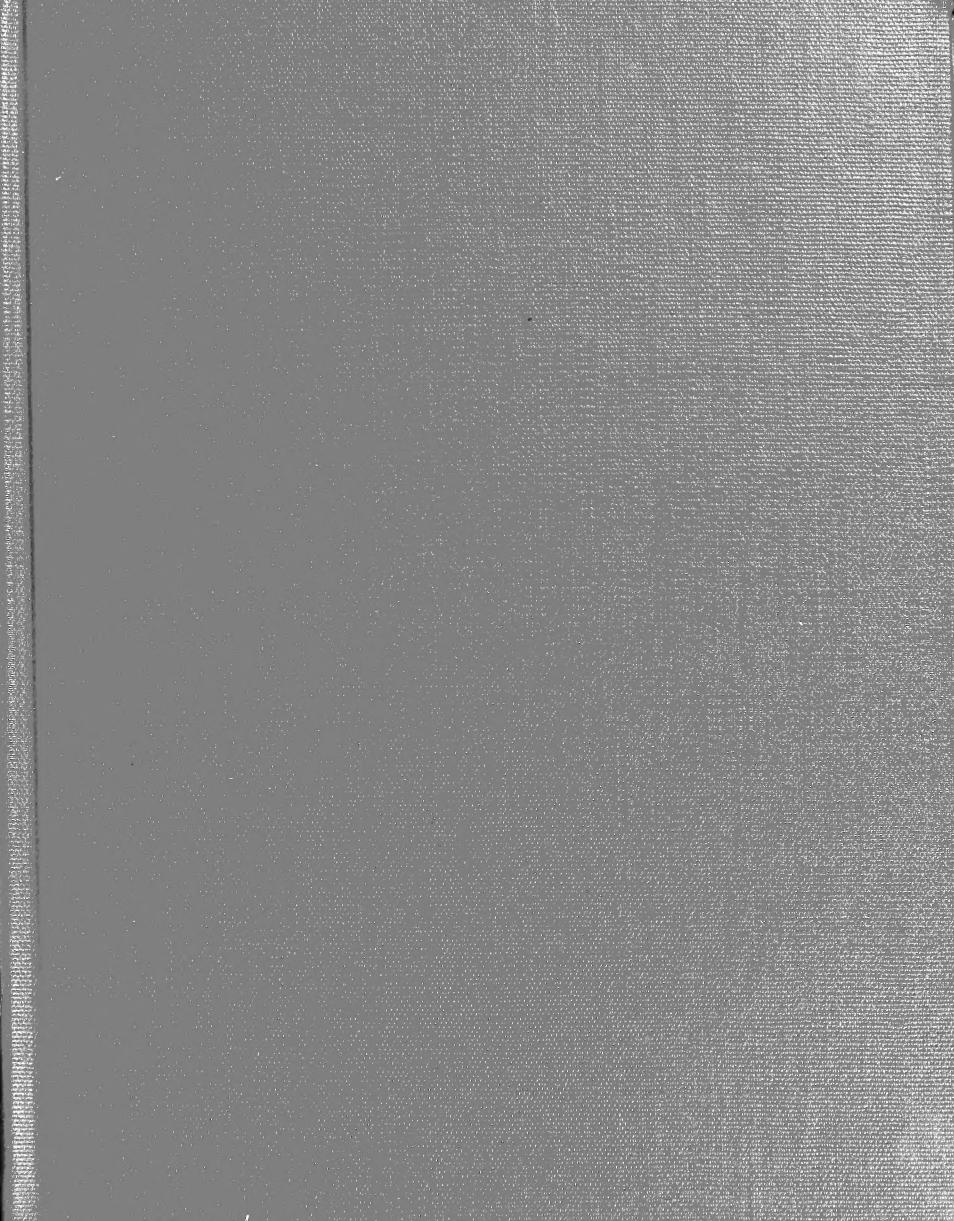
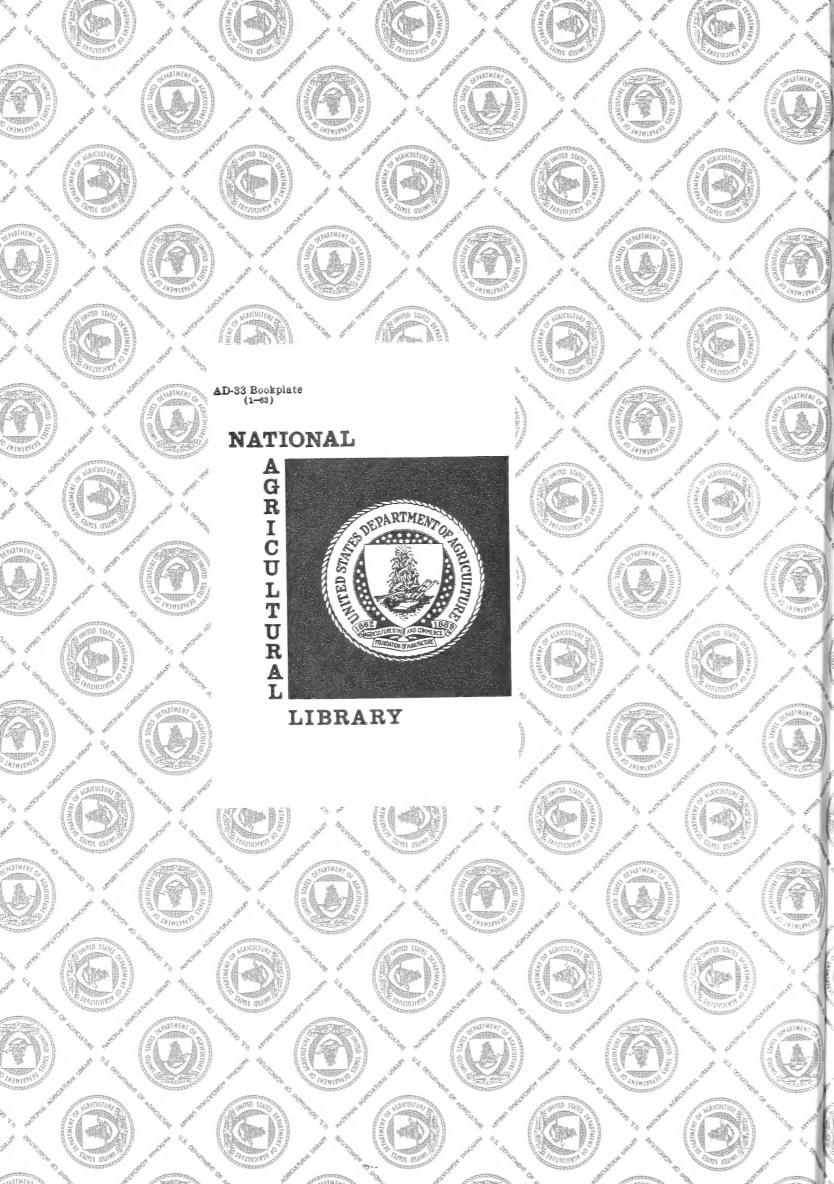
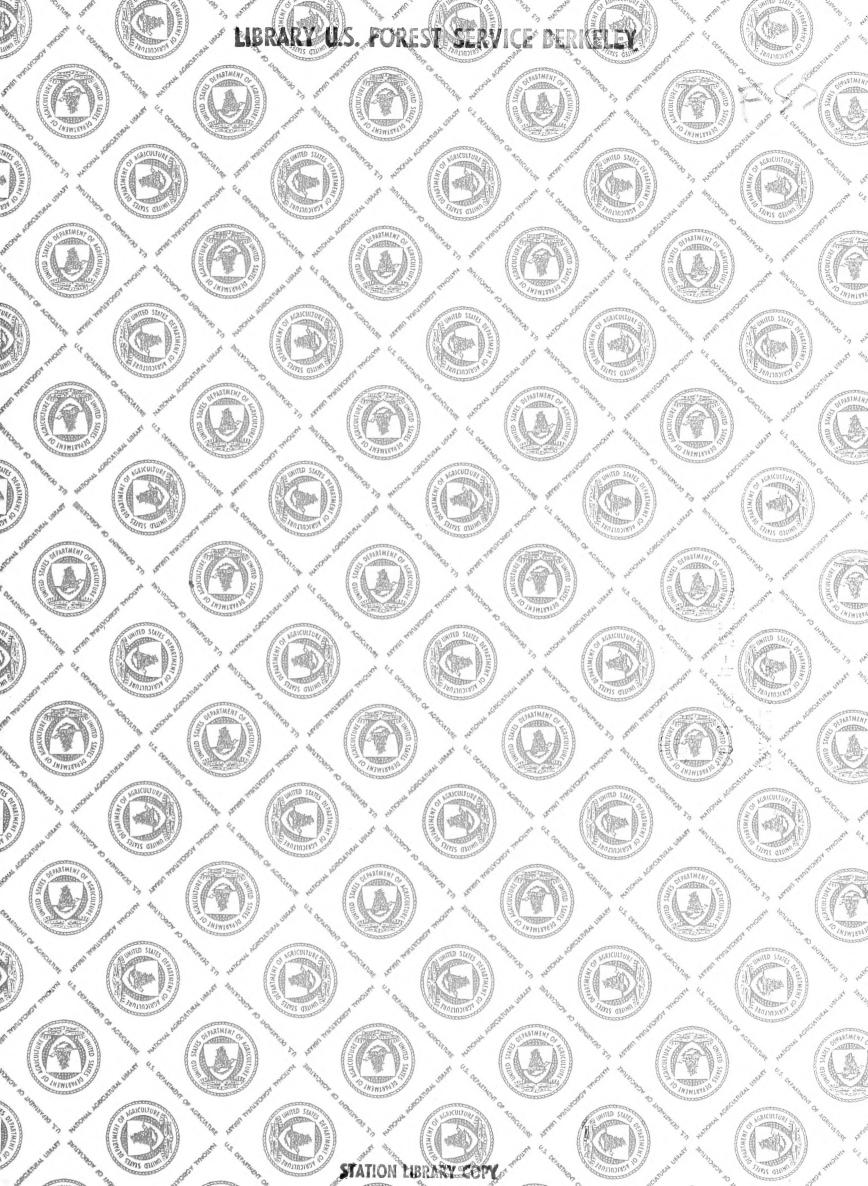
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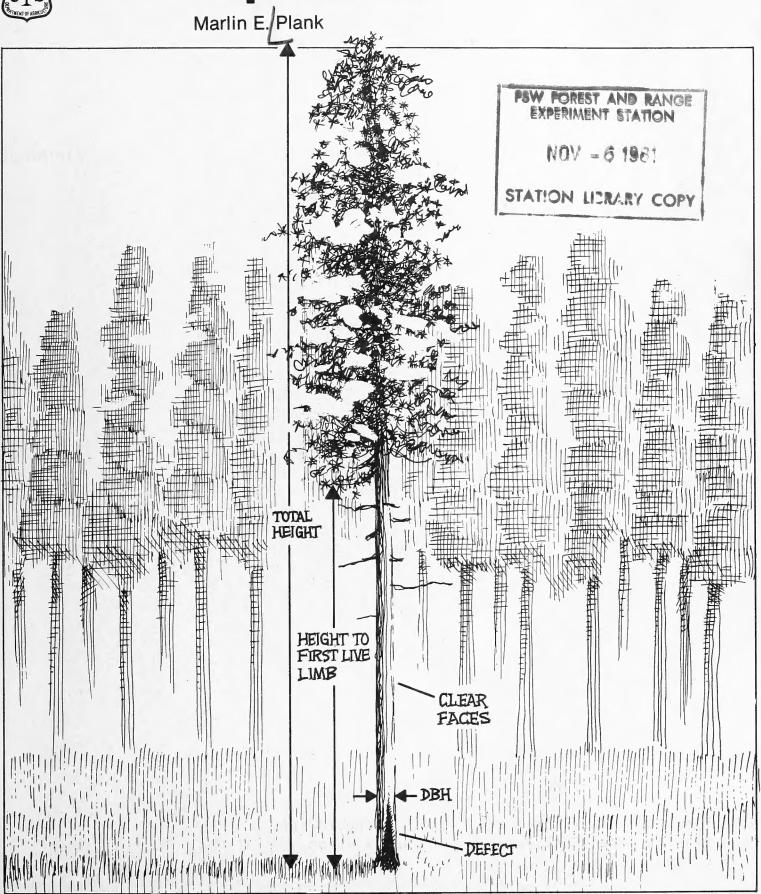
Forest Service

LPacific Northwest Forest and Range Experiment Station

Research Paper PNW-283 May 1981



Estimating Value and 3347 Volume of Ponderosa Pine Trees by Equations



Author

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Abstract

Plank, Marlin E. Estimating value and volume of ponderosa pine trees by equations. USDA For. Serv. Res. Pap. PNW-283, 13 p. Portland, OR: Pac. Northwest For. and Range Exp. Stn.; 1981.

Equations for estimating the selling value and tally volume for ponderosa pine lumber from the standing trees are described. Only five characteristics are required for the equations. Development and application of the system are described.

Keywords: Lumber value, volume estimation, grading systems, ponderosa pine, Pinus ponderosa.

Summary

This paper describes a system for estimating the selling value and lumber volume of ponderosa pine (Pinus ponderosa Dougl. ex Laws.) trees. Similar systems have proved easier and more practical than the conventional method of listing logs by discrete classes.

From a sample of 189 trees selected in western Montana, 154 were used to develop two prediction model equations, one for estimating selling value and one for estimating tally volume of lumber. A subsample of 34 trees was withheld from the analysis to test the equation.

Measurement of five characteristics will enable the user to apply the prediction equations to other samples. The tree characteristics are:

- 1. Diameter
- 2. Height
- 3. Height to the first live limb
- 4. The number of limb-free and defect-free faces on a butt 32-foot log
- 5. Total defect

The prediction equations account for 91 percent of the variation in value and 97 percent of the variation in lumber volume as measured by the \mathbb{R}^2 values.

When the system was applied to the 34 trees withheld from the original data, the prediction of total dollar value was 7.3 percent more than the actual value and the prediction of volume 7.0 percent higher than the actual volume of lumber recovered.

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Introduction

The State of Montana contains an estimated 11 billion board feet (International 1/4 inch rule) of ponderosa pine (Pinus ponderosa Dougl. ex Laws.) sawtimber (USDA Forest Service 1973). Much of this resource is growing on lands administered by the USDA Forest Service. When offered for sale, stumpage value is determined by a system of five log grades. Although this grading system is reliable, an easier and less costly method has been developed that will work equally well.

The Northern Region (Region 1) of the USDA Forest Service is using equations that estimate the lumber tally volume and value of standing trees for several species. Cruisers have found the method fast and simple to use, and the estimates obtained from the equations are being accepted by timber purchasers. The equations in this paper were developed for ponderosa pine because it is the only major species log-graded in Region 1, and the goal is to get all major species in the Region on the same system.

This paper presents, for timber managers, sellers, and buyers, equations for estimating total value and lumber volume of ponderosa pine trees. It documents the steps in developing the equations, demonstrates their use, and shows how well these equations estimate value and lumber volume for a group of trees.

Study Procedures Sample and Field Procedures

A sample of 189 trees was selected to represent the range in size and quality of old-growth commercial ponderosa pine sawtimber being used by sawmills in western Montana. The trees were from four areas on the west side of the Lolo National Forest. Diameters ranged from 7 to 37 inches and heights from 42 to 165 feet. $\frac{1}{2}$ The mean diameter was 22 inches and mean height 100 feet.

The surface characteristics of the butt 32-foot portion were recorded for each standing tree. All logs were identified with a tag showing tree and log numbers before they were removed from the woods. In the millyard, they were scaled for board-foot content in the woods length and after they were bucked on the mill deck, they were again scaled. Scaling was done according to procedures in the National Forest Log Scaling Handbook (2409.11, Sept. 1973).

^{1/}To convert inches to centimeters, multiply by 2.54; to convert feet to meters, multiply by 0.304 8.

The logs were then processed at a mill considered representative of mills processing ponderosa pine in the northern Rocky Mountain area. The logs were sawn under normal conditions, with the intent of obtaining the highest value from each log. Lumber produced was either 4/4-inch or 5/4-inch shop or 1-inch boards. The values and volumes were based on kiln-dried, surfaced lumber tally according to general industry practice. All lumber was identified throughout the milling phase so that each piece could be related to the log and tree from which it originated.

Developing the Prediction Model

Before data analysis, 34 of the 189 sample trees were randomly selected as a subsample for testing the prediction equations that would be developed. Of the remaining trees, one was inadequately measured, leaving 154 trees as a base for developing the equations.

Twenty-nine variables were screened with a multiple regression program (Dixon 1964) to determine tree characteristics that would be most highly correlated with value and volume of lumber. The independent variables that were examined are listed in appendix 1. Previous studies (Lane et al. 1970, Plank and Snellgrove 1978, Snellgrove et al. 1973) of other species have indicated that many characteristics are poorly correlated with value or volume, so they were not measured. The forward stepwise regression procedure was used to select the subset of independent variables to be included in the regression model for predicting value or lumber tally volume of the trees.

The screening process indicated that six tree characteristics should be observed and recorded.

These characteristics, described in the next paragraph, together with several transformations of the same characteristics, were selected as the best independent variables to be used in the two models. 2/ These variables were used with lumber yield information to develop the regression equations for predicting total value (dollars) and lumber volume (board feet) per tree. The same set of independent variables did not survive as the best estimator of both value and volume; consequently, separate equations were chosen to estimate the dependent variables. The final variables selected for the models were the ones that were most practical for application in timber appraisals and that statistically accounted for the most variation in volume and value.

²/Transformations are used not only for constructing interaction variables but also for changing the form of the individual variables so that more of the variation can be explained.

The following model equations are used for predicting total dollar value and total lumber volume of a tree:

```
Total value = b_0+b_1(LDFF32)+b_2(PADEFT)(D^2H) +b_3(DEFPER)(D^2H)+b_4(D^2) +b_5(DH)+b_6(D^2H).
```

```
Total lumber volume = b_0+b_1(H)+b_2(HTFLL)
+b_3(DEFPER)(D^2H)
+b_4(DEFSQR)(D^2H)+b_5(D^2H);
```

where:

bo is Y intercept constant,

b₁, b₂...b₆ are regression coefficients,

LDFF32 is the number of limb-free and defect-free faces on the butt 32-foot log,

PADEFT is the presence or absence of any defect (1 if present, 0 if absent),

DEFPER is estimated defect expressed as a percentage of gross cruise volume,

D is diameter at breast height (inches),

DEFSQK is estimated defect percent squared,

H is total tree height (feet),

HTFLL is the height to the first live limb.

Coefficients for the volume equation are as follows:

b ₀ =	-3. 00685
b ₁ =	= -0.826482
b ₂ =	= 0.422030
b ₃ =	-0. 0000843925
b ₄ =	- 0.000000829797
b5 =	= 0.0155223

The equations account for 91 percent of the variation in dollar value and 97 percent of the variation in lumber volume. The standard error of estimates are \$51.89 and 139 board feet.

How the System Performs

From the sample of 189 trees, a subsample of 34 trees was randomly selected to test the performance of the estimating equations. The general characteristics (d.b.h., total height, criteria for the faces, height to first live limb, and defect) were recorded for each of the 34 trees in the subsample. Predictions of selling value and volume of lumber were then calculated using the equations.

Table 1 shows comparisons of estimated and actual values for the 34 subsample trees. Figures 1 and 2 show that the estimates of value and volume are about equally split by the 45-degree line.

Table 1--Comparison of estimated and actual selling value and volume of lumber from 34 ponderosa pine trees

Item	Total value	Difference	Total lumber volume	Difference
Estimated	Dollars 6,221.58 5,796.14	Percent +7.3	Board feet 29,865 27,904	Percent +7.0
Actual	5,796.14		27,904)	
Mean deviation	+12.51	-	+58	
Mean absolute deviation	37.13		93	

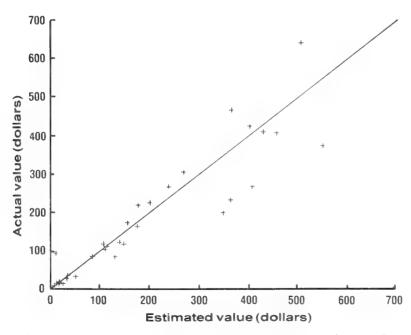


Figure 1.--Actual value versus estimated value of ponderosa pine trees.

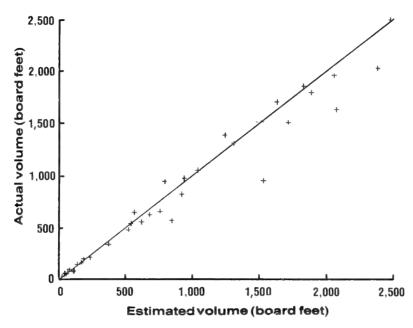


Figure 2.--Actual volume versus estimated volume of ponderosa pine trees.

How To Use the System

Computer facilities for making regression analyses are essential for efficient use of this system. Regression coefficients for tree values are derived from the tree characteristic data, the lumber grade yield data for each tree in the base study, and appropriate lumber prices. These data and the card format for the 154 trees are shown in appendix 2.

The total lumber tally volume of a tree or group of trees may be estimated by solving the following equation using the coefficients shown: $\underline{3}$ /

```
Total lumber tally volume (board feet) = 3.00685-0.826482(H)+0.422030(HTFLL) -0.0000843925(DEFPER)(D^2H) +0.000000829797(DEFSQR)(D^2H) +0.0155223(D^2H).
```

A procedure for developing a value equation for the 154 tree data set and current prices is as follows:

1. Assign current or desired lumber prices to each lumber grade recorded in the base study.

³/Note that this system was developed to predict values and volumes of 4/4- and 5/4-inch lumber. Using this system to predict values and volumes in areas where relatively large amounts of dimension lumber are obtained may not give accurate results.

- 2. Multiply these prices by the appropriate lumber yield information shown in appendix 2 to obtain a dollar value for each of the 154 trees in the base study.
- 3. Use an appropriate multiple regression program to develop the value equation coefficients for the 154 trees. Use the computed total dollar value (step 2) and five of the six tree characteristics in the following transformations:

Dependent variable: Total dollars/D²H

Independent variables: LDFF32/D 2 H PADEFT DEFPER D 2 /D 2 H DH/D 2 H 1/D 2 H

- 4. Select sample trees.
- 5. Measure and record for each sample tree the five characteristics: (1) diameter, (2) height, (3) defect, (4) presence or absence of defect, and (5) number of limb- and defect-free faces in the butt 32-foot log.
- 6. Now apply this equation to a new group of trees using the following steps: Use coefficients developed in step 3 to solve the value equations for the sample trees selected in step 4.

Conclusions

Field tests of this system and similar systems have demonstrated that they have a number of advantages over the conventional log grading method. It is faster to apply in the field and thus more economical. Fewer judgment factors are required than with the log grading system presently used for ponderosa pine. Selling price is calculated easily and more directly than by methods that involve adjusting yield by log overrun estimates. In addition, training and checking of cruisers are easier.

This system is similar to others that have been used successfully by the USDA Forest Service in the northern Rocky Mountains. The performance of these systems and their acceptance by both timber buyers and sellers indicate that they are simple, workable methods of estimating the quality of standing sawtimber.

This system was developed where the major portion of lumber was manufactured into 4/4-inch and 5/4-inch items. Inferences as to the applicability of the system in areas where dimension lumber is a sizable portion of the cut may give misleading results.

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Appendix 1. Independent Variables

Defect related variables:

- 1. Defect percent.
- 2. Defect percent squared.
- 3. Presence or absence of defect.

Quality related variables:

- 4. Number of limb- and defect-free 8-foot panels on the butt 16-foot log.
- 5. Number of limb-free 8-foot panels on the butt 16-foot log.
- 6. Number of limb- and defect-free 8-foot panels on the butt 32-foot log.
- 7. Number of limb-free 8-foot panels on the butt 32-foot log.
- 8. Number of limb- and defect-free 16-foot faces on the butt 32-foot log.
- 9. Number of limb-free 16-foot faces on the butt 32-foot log.
- 10. Number of limb-free faces with no defect on the butt 16-foot $\log \cdot$
- 11. Number of limb-free faces on the butt 16-foot log.
- 12. Number of limb-free faces with no defect on the butt 32-foot log.
- 13. Number of limb-free faces on the butt 32-foot log.
- 14. Length of scar.
- 15. Presence or absence of scar on butt log.
- 16. Presence or absence of conks.
- 17. Size of the largest limb on the butt 16-foot log.
- 18. Size of the largest limb on the butt 32-foot log.
- 19. Height to the first live limb.

Volume related variables:

- 20. d.b.h. = D
- 21. Total height = H
- 22. D^2
- 23. DH
- 24. H^2
- 25. D/H
- 26. H/D
- 27. (H/D^2)
- 28. D^2H
- 29. $1/D^2H$

Appendix 2. Tree Quality Characteristics and Lumber Yield Data

The tree quality characteristics and lumber yield data for each of the 154 trees in the base study are listed according to the card format shown below.

Columns	Data	
1-3	Tree number	
4-6	d.b.h.	
7-9	Total height	
10	Number of limb- and defect-free	(clear) faces
	on the butt 32-foot log	
11-12	Height to the first live limb	
13	Presence or absence of defect	
14-16	Defect percent	
17-20	Volume of B Select lumber	
21-24	Volume of C Select lumber	
25-28	Volume of D Select lumber	
29-32	Volume of Moulding lumber	
33-36	Volume of 3 Clear lumber	
37-40	Volume of 1 Shop lumber	
41-44	Volume of 2 Shop lumber	
45-48	Volume of 3 Shop lumber	
49-52	Volume of Shop-out lumber	
53-56	Volume of 2 Common & Btr lumber	
57-60	Volume of 3 Common lumber	
61-64	Volume of 4 Common lumber	
65-68	Volume of 5 Common lumber	
69-72	Volume of Pitch Select lumber	

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Plank, Marlin E. Estimating value and volume of ponderosa pine trees by equations. USDA For. Serv. Res. Pap. PNW-283, 13 p. Portland, OR: Pac. Northwest For. and Range Exp. Stn.; 1981.

Equations for estimating the selling value and tally volume for ponderosa pine lumber from the standing trees are described. Only five characteristics are required for the equations.

Development and application of the system are described.

Keywords: Lumber value, volume estimation, grading systems, ponderosa pine, Pinus ponderosa.

The Forest Service of the U.S. Department of Agriculture is dedicated to the principle of multiple use management of the Nation's forest resources for sustained yields of wood, water, forage, wildlife, and recreation. Through forestry research, cooperation with the States and private forest owners, and management of the National Forests and National Grasslands, it strives — as directed by Congress — to provide increasingly greater service to a growing Nation.

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